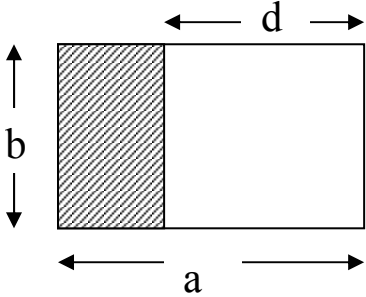
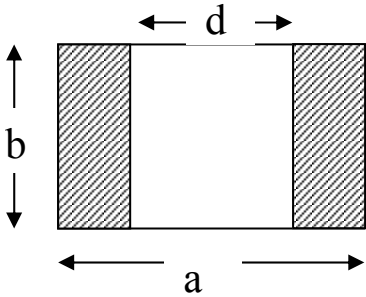
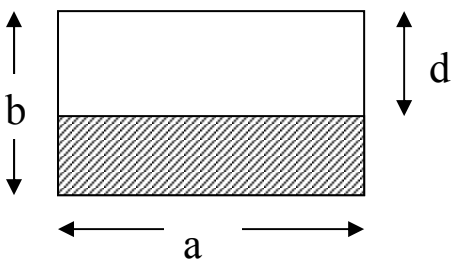
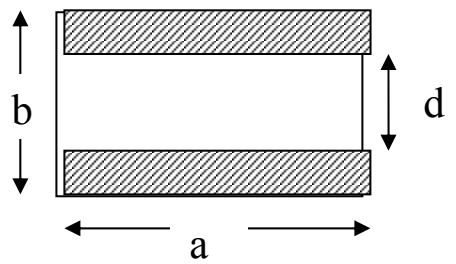


DISCONTINUIDADES EN GUÍA

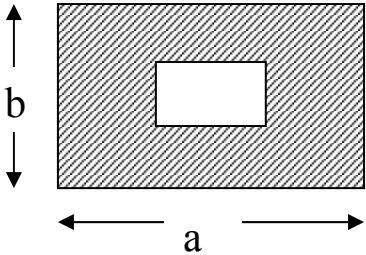
a) Diafragma vertical

	$\bar{B} = -\frac{2\pi}{\beta a} \cot^2 \frac{\pi d}{2a} \left(1 + \csc^2 \frac{\pi d}{2a} \right);$ $\gamma_3 = \left[\left(\frac{3\pi}{a} \right)^2 - k_0^2 \right]^{\frac{1}{2}}$
	$\bar{B} = -\frac{2\pi}{\beta a} \cot^2 \frac{\pi d}{2a} \left(1 + \frac{a\gamma_3 - 3\pi}{4\pi} \sin^2 \frac{\pi d}{a} \right);$

b) Diafragma horizontal

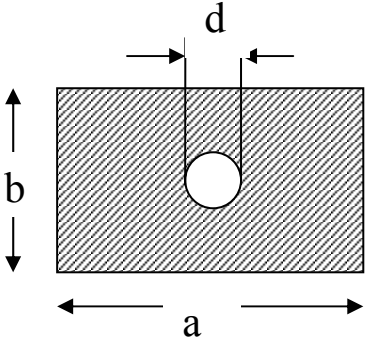
	$\bar{B} = \frac{4\beta b}{\pi} \left[\ln \csc \frac{\pi d}{2b} + \left(\frac{\pi}{b\gamma_1} - 1 \right) \cos^4 \frac{\pi d}{2b} \right];$ $\gamma_1 = \left[\left(\frac{\pi}{b} \right)^2 - \beta^2 \right]^{\frac{1}{2}}$
	$\bar{B} = \frac{2\beta b}{\pi} \left[\ln \csc \frac{\pi d}{2b} + \left(\frac{\pi}{b\gamma_2} - 1 \right) \cos^4 \frac{\pi d}{2b} \right];$ $\gamma_2 = \left[\left(\frac{2\pi}{b} \right)^2 - \beta^2 \right]^{\frac{1}{2}}$

c) Diafragma rectangular

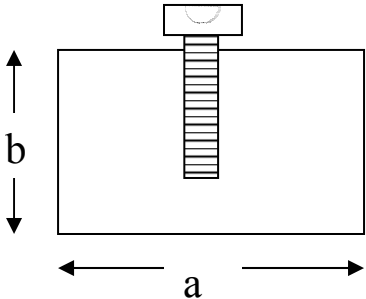
	$\bar{B} = \frac{4\beta b}{\pi} \left[\ln \csc \frac{\pi d}{2b} + \left(\frac{\pi}{b\gamma_1} - 1 \right) \cos^4 \frac{\pi d}{2b} \right];$ $\gamma_1 = \left[\left(\frac{\pi}{b} \right)^2 - \beta^2 \right]^{\frac{1}{2}}$
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Su carácter resonante puede razonarse cualitativamente en base a que es una combinación de los dos anteriores.

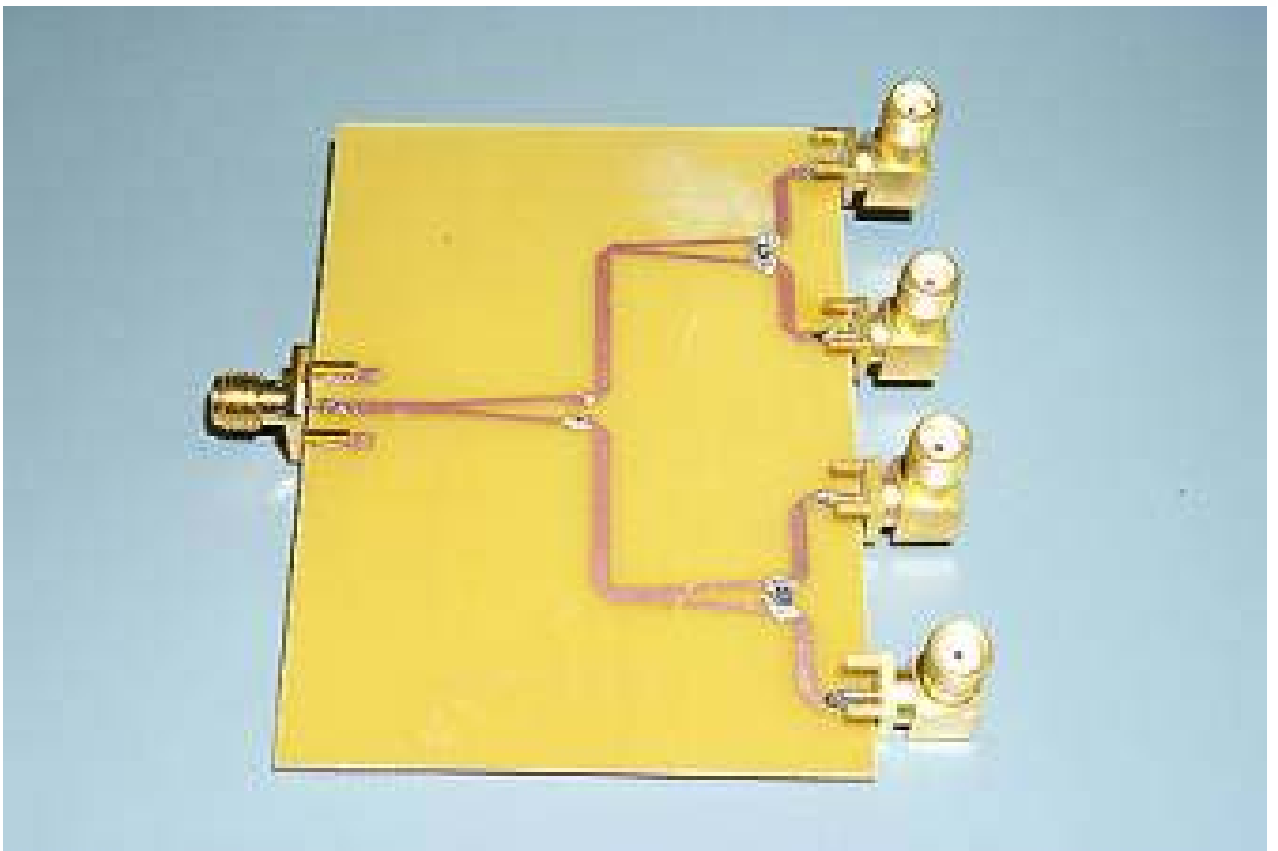
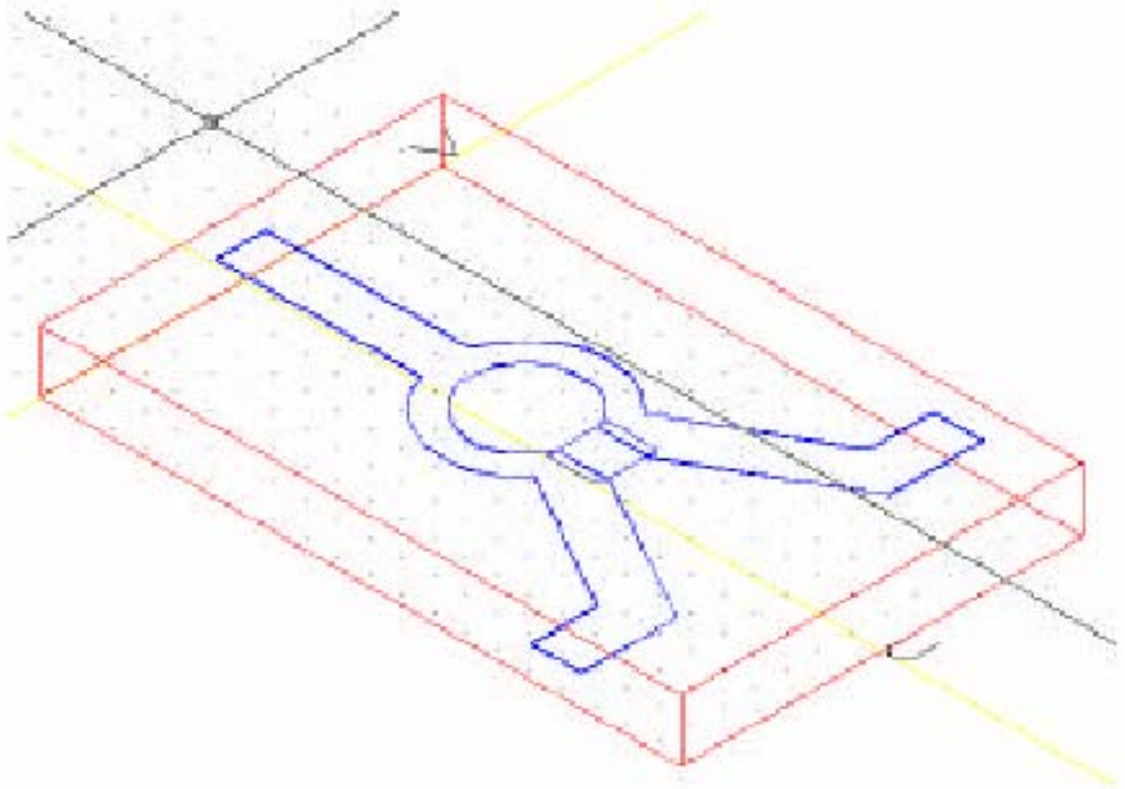
d) Apertura circular pequeña (iris)

	$\bar{B} = -\frac{3ab}{8\beta d^3}$
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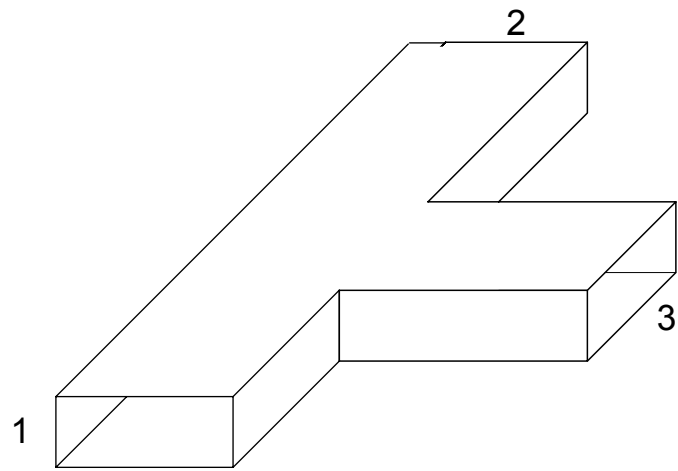
e) Poste

	
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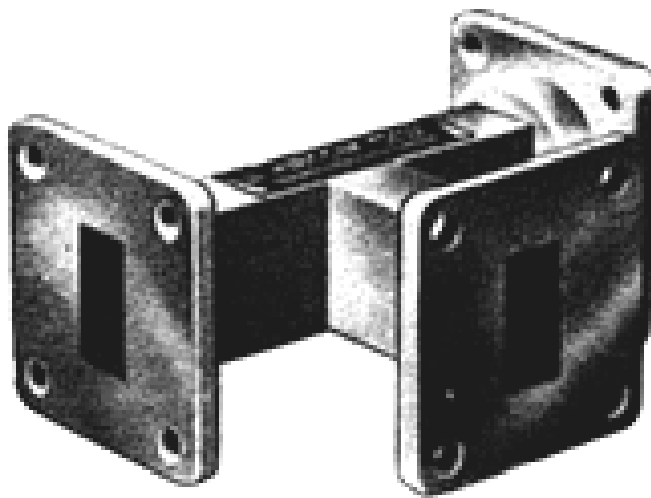
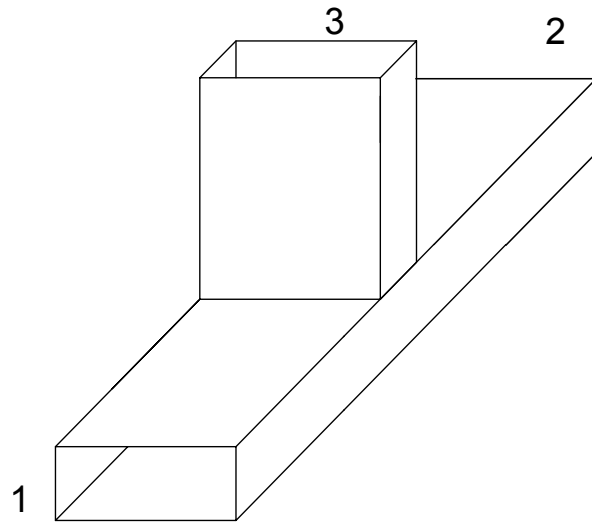
EL DIVISOR DE WILKINSON



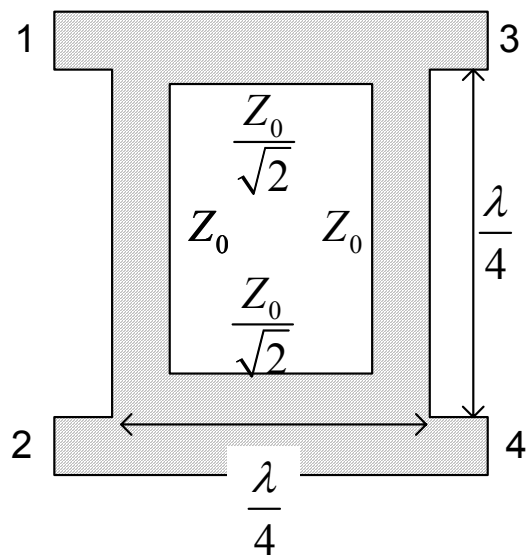
T EN PLANO H



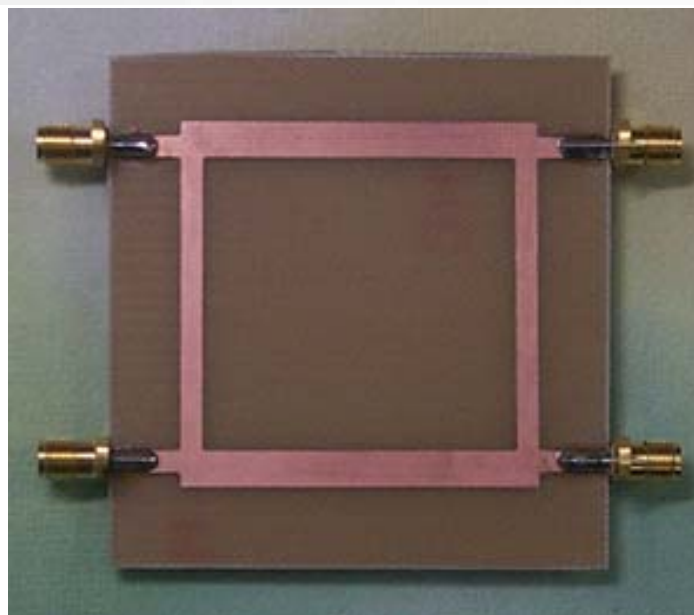
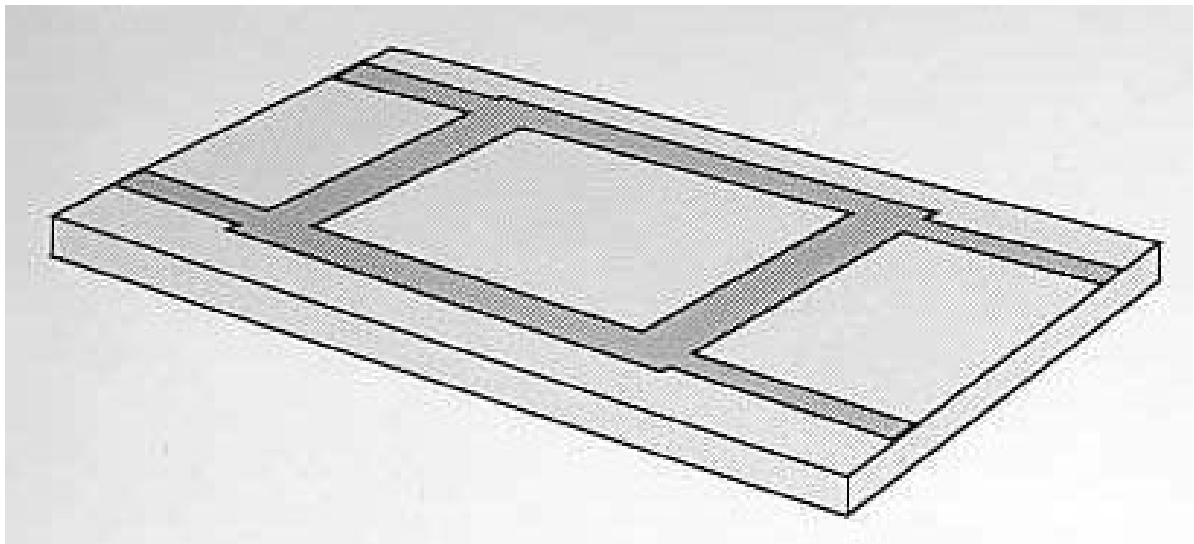
T EN PLANO E



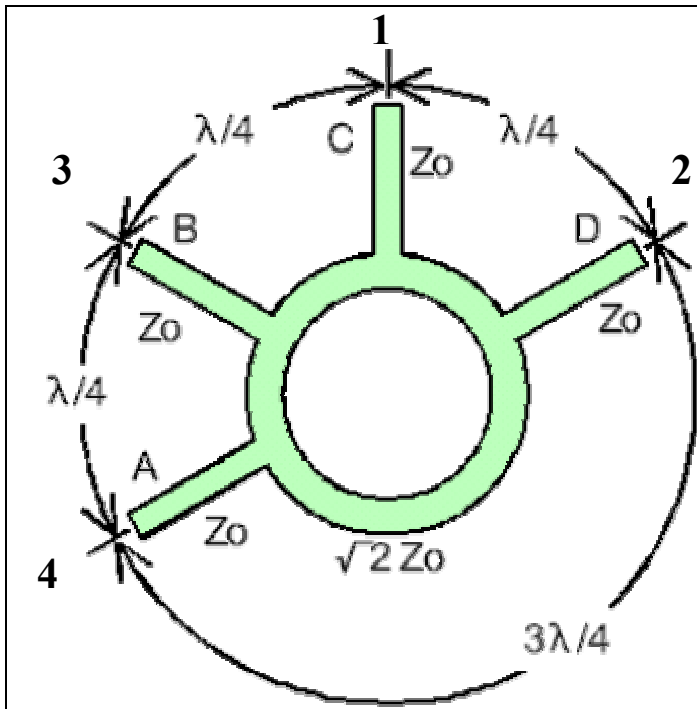
-Realización en microstrip del híbrido de 90°. Branch-line



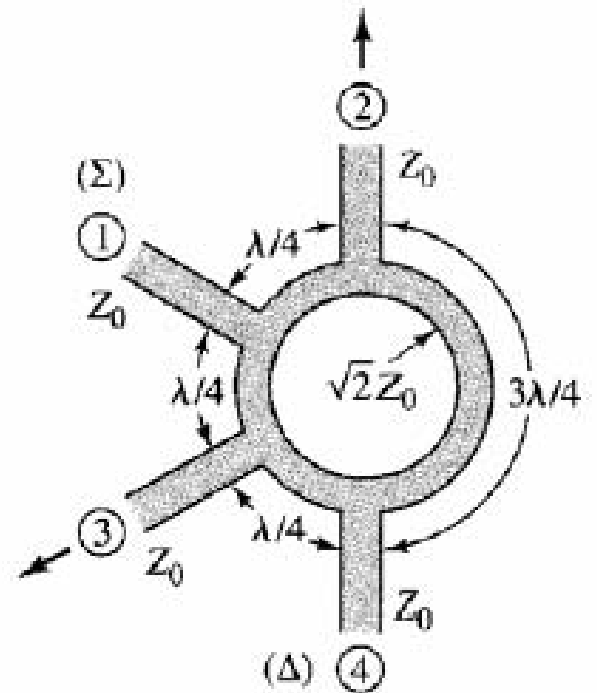
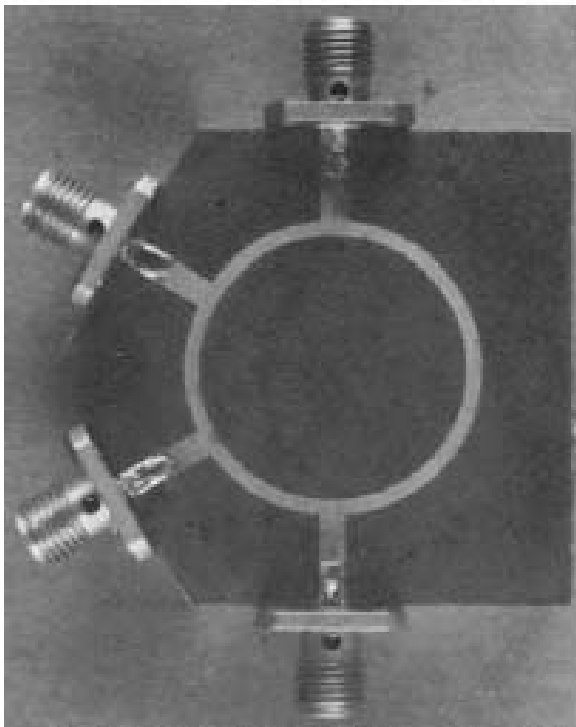
$$[S] = \frac{-1}{\sqrt{2}} \begin{bmatrix} 0 & 0 & j & 1 \\ 0 & 0 & 1 & j \\ j & 1 & 0 & 0 \\ 1 & j & 0 & 0 \end{bmatrix}$$



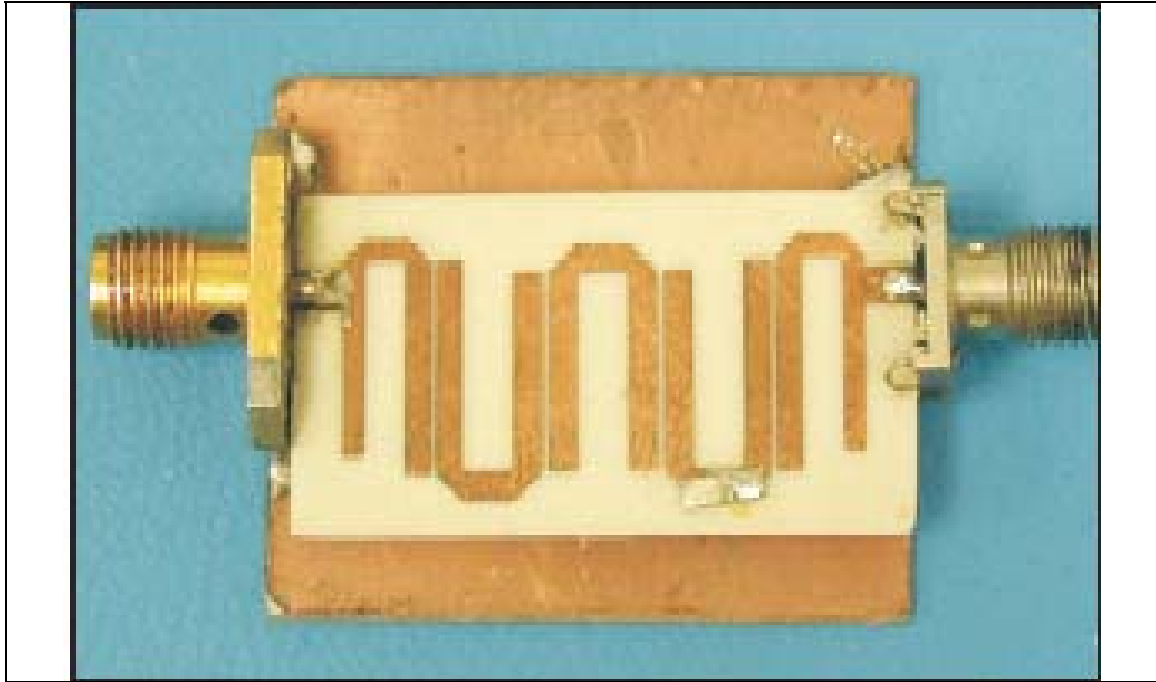
- Realización en microstrip del híbrido de 180°. Rat-race



$$[S] = \frac{-j}{\sqrt{2}} \begin{bmatrix} 0 & 0 & 1 & 1 \\ 0 & 0 & 1 & -1 \\ 1 & 1 & 0 & 0 \\ 1 & -1 & 0 & 0 \end{bmatrix}$$



LÍNEAS ACOPLADAS MICROSTRIP



ACOPLADOR DIRECCIONAL EN GUIA

